## **EML2322L Calculations Review**

Answer the following questions based on the information presented in class.

Given a motor shaft speed of 100 rpm, a 6" diameter wheel and 75% efficiency, what is the linear (loaded) velocity of the robot [ft/sec]?

 $V = \pi \times D \times N \times \eta$   $V = \pi \times \underline{\qquad} = \underline{\qquad} \times \underline{\qquad} \times$ 

## Calculate the spindle speed [rpm] and feedrate [in/min] for a ½ inch HSS drill bit in mild steel (0.2-0.3 C) when using a manual milling machine:

from Table 1:  $V \approx \underline{\qquad} ft/min$   $N = 12 in/ft \times V ft/min / (\pi \times D in/rev)$   $N = 12 in/ft \times \underline{\qquad} ft/min / (\pi \times \underline{\qquad} in/rev)$   $N = \underline{\qquad} rpm$ from Table 2:  $f_r \approx \underline{\qquad} in/rev$   $f = N rev/min \times f_r in/rev$   $f = 764 rev/min \times \underline{\qquad} in/rev$  $f = \underline{\qquad} in/min$ 

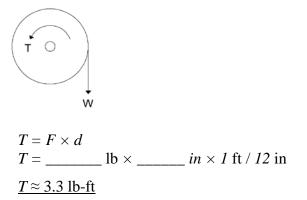
scale back 60% since oil is being applied manually:  $N \approx 460$  rpm,  $f \approx 3.7$  in/min

## Calculate the spindle speed [rpm] and feedrate [in/min] used when milling an aluminum part with a 1/2 inch diameter, 2 flute HSS endmill on a manual milling machine in lab.

from Table 1:  $V \approx \_____ ft/min$   $N = 12 in/ft \times V ft/min / (\pi \times D in/rev)$   $N = 12 in/ft \times \____ ft/min / (\pi \times \____ in/rev)$   $N = \____ rpm$ from Table 3:  $f_t \approx \____ in/rev$   $f = N rev/min \times f_t in/tooth \times m teeth/rev$   $f = 1910 rev/min \times \____ in/tooth \times \___ teeth/rev$  $f = \____ in/min$ 

scale back 60% since oil is being applied manually: <u>N  $\approx$  1150 rpm,  $f \approx$  9.2 in/min</u>

Calculate the torque [lb-ft] required to lift 10 pounds of sand with a motor connected to a 4" radius pulley?



Calculate the tightening torque [lb-ft] for a grade 5, <sup>1</sup>/<sub>4</sub>-20 fastener using the following information (not all may be applicable):

proof (yield) strength = 85,000 psi tensile (ultimate) strength = 120,000 psi tensile stress area =  $0.0318 \text{ in}^2$ shank stress area =  $0.0491 \text{ in}^2$ 

$$T = 0.2 \times F_i \times d$$

$$\sigma_t = 0.9 \times \sigma_y = 0.9 \times \underline{\qquad} \text{psi}$$

$$F_i = \sigma_t \times A_t = \underline{\qquad} \text{psi} \times \underline{\qquad} \text{in}^2$$

$$F_i = \underline{\qquad} \text{lb}$$

$$T = 0.2 \times F_i \times d$$

$$T = 0.2 \times \underline{\qquad} \text{lb} \times \underline{\qquad} \text{in} \times 1 \text{ ft} / 12 \text{ in}$$

$$\underline{T \approx 10.1 \text{ lb-ft}}$$